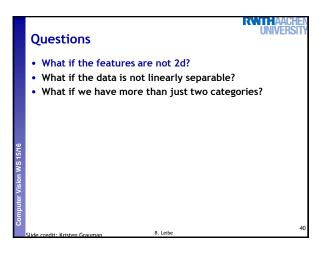
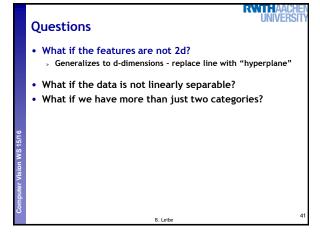
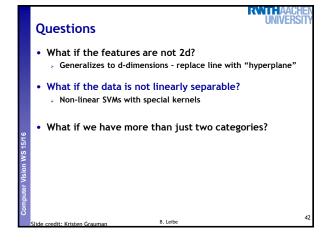
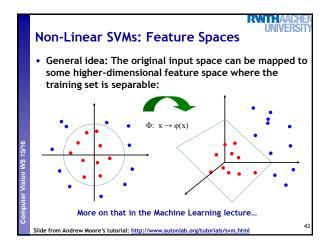


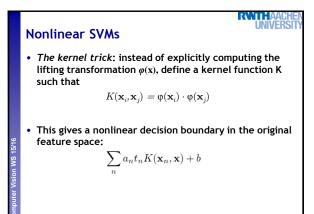
Finding the Maximum Margin Line • Solution: $\mathbf{w} = \sum_{n=1}^{N} a_n t_n \mathbf{x}_n$ • Classification function: $f(\mathbf{x}) = \operatorname{sign}(\mathbf{w}^T\mathbf{x} + b) \qquad \qquad \text{if } f(\mathbf{x}) < 0, \ classify \ as \ neg., \\ if <math>f(\mathbf{x}) > 0, \ classify \ as \ pos.$ $= \operatorname{sign}\left(\sum_{n=1}^{N} a_n t_n \mathbf{x}_n^T \mathbf{x} + b\right)$ • Notice that this relies on an $inner\ product$ between the test point \mathbf{x} and the support vectors \mathbf{x}_n • (Solving the optimization problem also involves computing the inner products $\mathbf{x}_n^T \mathbf{x}_m$ between all pairs of training points) C. Burges, <u>A Tutorial on Support Vector Machines for Pattern Recognition</u>, and Knowledge Discovery, 1998







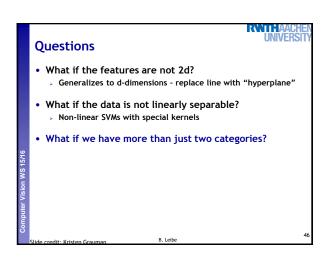


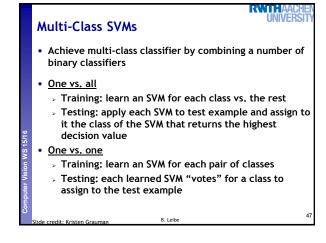


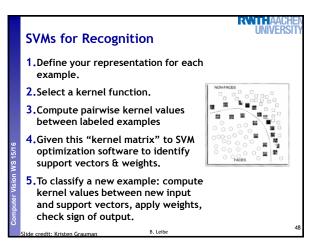
C. Burges, <u>A Tutorial on Support Vector Machines for Pattern Recognition</u>, Data Mining and Knowledge Discovery, 1998

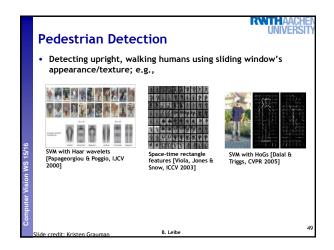
Some Often-Used Kernel Functions • Linear: $K(\mathbf{x}_i, \mathbf{x}_j) = \mathbf{x}_i^{\mathrm{T}} \mathbf{x}_j$ • Polynomial of power p: $K(\mathbf{x}_i, \mathbf{x}_j) = (1 + \mathbf{x}_i^{\mathrm{T}} \mathbf{x}_j)^p$ • Gaussian (Radial-Basis Function): $K(\mathbf{x}_i, \mathbf{x}_j) = \exp(-\frac{\left\|\mathbf{x}_i - \mathbf{x}_j\right\|^2}{2\sigma^2})$

ilide from Andrew Moore's tutorial: http://www.autonlab.org/tutorials/sym.htm

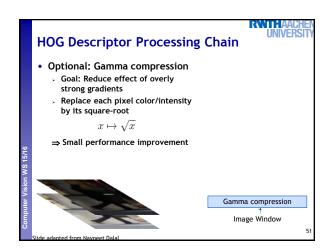


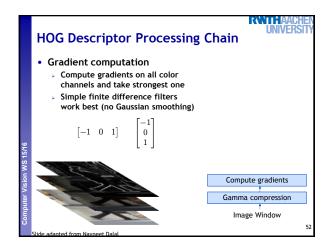


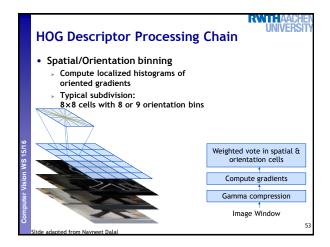


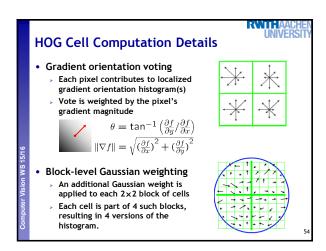


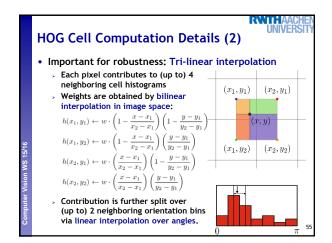


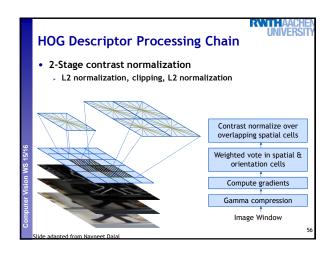


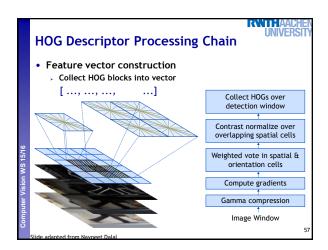


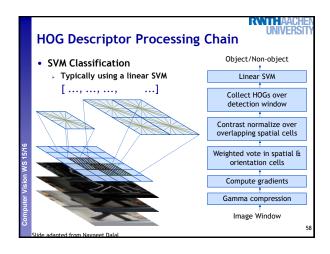


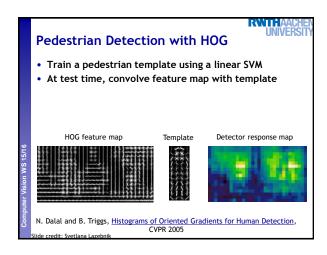


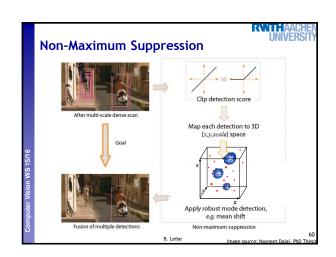


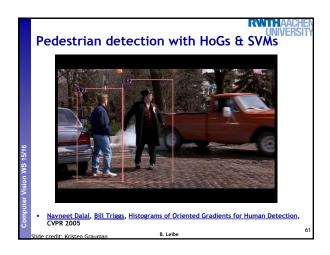












References and Further Reading

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- · Read the HOG paper
 - N. Dalal, B. Triggs,
 Histograms of Oriented Gradients for Human Detection,
 CVPR, 2005.
- HOG Detector
 - > Code available: http://pascal.inrialpes.fr/soft/olt/

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