

Computer Vision II - Lecture 2

Background Modeling

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Announcements

- Course webpage
 - <http://www.vision.rwth-aachen.de/teaching/>
 - Slides will be made available on the webpage
- L2P electronic repository
 - Exercises and supplementary materials will be posted on the L2P
- Please subscribe to the lecture on the Campus system!
 - Important to get email announcements and L2P access!
 - Bachelor students please also subscribe

Course Outline

- Single-Object Tracking
 - Background modeling
 - Template based tracking
 - Color based tracking
 - Contour based tracking
 - Tracking by online classification
 - Tracking-by-detection
- Bayesian Filtering
- Multi-Object Tracking
- Articulated Tracking



3
Image source: Tobias Jaeger

Topics of This Lecture

- Motivation: Background Modeling
- Simple Background Models
 - Background Subtraction
 - Frame Differencing
- Statistical Background Models
 - Single Gaussian
 - Mixture of Gaussians
 - Kernel Density Estimation
- Practical Issues and Extensions
 - Background model update
 - False detection suppression
 - Shadow suppression
 - Applications

Motivation: Tracking from Static Cameras



Motivation

- Goals
 - Want to detect and track all kinds of objects in a wide variety of surveillance scenarios.
 - ⇒ *Need a general algorithm that works for many scenarios.*
 - Video frames come in at 30Hz. There is not much time to process each image.
 - ⇒ *Real-time algorithms need to be very simple.*
- Assumptions
 - The camera is static.
 - Objects that move are important (people, vehicles, etc.).
- Basic Approach
 - Maintain a model of the static background.
 - Compare the current frame to this model to detect objects.

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Background Modelling Results

B. Leibe Video source: Wolfgang Muehner

7

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8

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Simple Background Subtraction

Procedure

- Background model is a static image (without any objects).
- Pixels are labeled based on thresholding the absolute intensity difference between current frame and background.

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Background Subtraction Results

Observation

- Background subtraction does a reasonable job of extracting the object shape if the object intensity/color is sufficiently different from the background.
- *What are the limitations of this simple procedure?*

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Background Subtraction: Limitations

Outdated reference frame

- Objects that enter the scene and stop continue to be detected...
...making it difficult to detect new objects that pass in front of them.
- If part of the assumed static background starts moving...
...both the object and its negative ghost (the revealed background) are detected.

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12

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Background Subtraction: Limitations

Illumination changes

- Background subtraction is sensitive to illumination changes and unimportant scene motion (e.g., tree branches swaying in the wind).

Global threshold

- A single, global threshold for the entire scene is often suboptimal.

⇒ *Need adaptive model with local decisions*

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13

Simple Frame Differencing

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- Other idea
 - Background model is replaced with the previous image.

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Frame Differencing Observations

- Advantages
 - Frame differencing is very quick to adapt to changes in lighting or camera motion.
 - Objects that stop are no longer detected.
 - Objects that start up no longer leave behind ghosts.
- Limitations
 - Frame differencing only detects the leading and trailing edge of a uniformly colored object.
 - Very few pixels on the object are labeled.
 - Very hard to detect an object moving towards or away from the camera.

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Differencing and Temporal Scale

- More general formulation
 - Define $D(N) = \|I(t) - I(t + N)\|$
- Effect of increasing the temporal scale
 - More complete object silhouette, but two copies of the object (one where it used to be, one where it is now).

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Three-Frame Differencing

- Improved approach to handle this problem

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Three-Frame Differencing

# frames skipped	Car	Person
1	[Image]	[Image]
5	[Image]	[Image]
15	[Image]	[Image]
25	[Image]	[Image]

This worked well for the person → 15

- Problem
 - Choice of good frame-rate for three-frame differencing depends on size and speed of object.

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Adaptive Background Subtraction

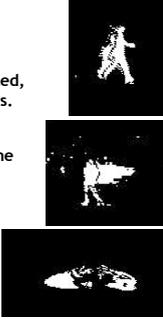
- Current image is "blended" into the background model with α .

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Adaptive Background Subtraction

- Properties
 - More responsive to changes in illumination and camera motion.
 - Small, fast-moving objects are well-segmented, but they leave behind short "trails" of pixels.
 - Objects that stop and ghosts left behind by objects that start both gradually fade into the background.
 - The centers of large, slow-moving objects start to fade into the background, too!
 - This can be fixed by decreasing the blend parameter α , but then it takes longer for ghost objects to disappear...

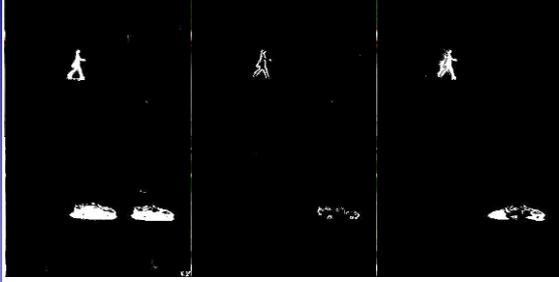


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20

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Comparisons



BG Subtraction Frame Differencing Adaptive BG Subtraction.

Slide adapted from Robert Collins. B. Leibe

21

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Discussion

- Background subtraction / Frame differencing
 - Very simple techniques, historically among the first.
 - Straight-forward to implement, fast to test out.
 - We've seen some fixes for the most pressing problems.
- Remaining limitations
 - Rather heuristic approach.
 - Leads to relatively poor foreground/background decisions.
 - Optimal temporal scale still depends on object size and speed.
 - Global threshold is often suboptimal for parts of the image.
 - ⇒ *Very fiddly in practice, requires extensive parameter tuning.*
- Let's try to come up with a better founded approach
 - Using a statistical model of background probability...

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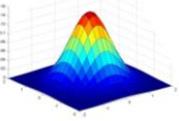
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23

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Gaussian Background Model

- Statistical model
 - Value of a pixel represents a measurement of the radiance of the first object intersected by the pixel's optical ray.
 - With a static background and static lighting, this value will be a constant affected by i.i.d. Gaussian noise.
- Idea
 - Model the background distribution of each pixel by a single Gaussian centered at the mean pixel value:
$$\mathcal{N}(x|\mu, \Sigma) = \frac{1}{(2\pi)^{D/2} |\Sigma|^{1/2}} \exp \left\{ -\frac{1}{2} (x - \mu)^T \Sigma^{-1} (x - \mu) \right\}$$
 - Test if a newly observed pixel value has a high likelihood under this Gaussian model.
 - ⇒ Automatic estimation of a sensitivity threshold for each pixel.



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Recap: Maximum Likelihood Approach

- Computation of the likelihood
 - Single data point: $p(x_n|\theta)$
 - Assumption: all data points $X = \{x_1, \dots, x_n\}$ are independent
$$L(\theta) = p(X|\theta) = \prod_{n=1}^N p(x_n|\theta)$$
 - Log-likelihood
$$E(\theta) = -\ln L(\theta) = -\sum_{n=1}^N \ln p(x_n|\theta)$$
- Estimation of the parameters θ (Learning)
 - Maximize the likelihood (=minimize the negative log-likelihood)
 - ⇒ Take the derivative and set it to zero.
$$\frac{\partial}{\partial \theta} E(\theta) = -\sum_{n=1}^N \frac{\partial}{\partial \theta} \ln p(x_n|\theta) \stackrel{!}{=} 0$$

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Recap: Maximum Likelihood Approach

- For a 1D Gaussian, we thus obtain

$$\hat{\mu} = \frac{1}{N} \sum_{n=1}^N x_n \quad \text{"sample mean"}$$
- In a similar fashion, we get

$$\hat{\sigma}^2 = \frac{1}{N} \sum_{n=1}^N (x_n - \hat{\mu})^2 \quad \text{"sample variance"}$$
- $\hat{\theta} = (\hat{\mu}, \hat{\sigma})$ is the **Maximum Likelihood estimate** for the parameters of a Gaussian distribution.
- Note: the estimate of the sample variance is *biased*. Better use

$$\hat{\sigma}^2 = \frac{1}{N-1} \sum_{n=1}^N (x_n - \hat{\mu})^2$$

26

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Online Adaptation (1D Case)

- Once estimated, adapt the Gaussians over time
 - We can compute a **running estimate** over a time window

$$\hat{\mu}^{(t+1)} = \hat{\mu}^{(t)} + \frac{1}{N} x^{(t+1)} - \frac{1}{N} x^{(t+1-T)}$$

$$(\hat{\sigma}^2)^{(t+1)} = (\hat{\sigma}^2)^{(t)} + \frac{1}{N-1} (x^{(t+1)} - \hat{\mu}^{(t+1)})^2 - \frac{1}{N-1} (x^{(t+1-T)} - \hat{\mu}^{(t+1)})^2$$
 - However, distribution is non-stationary (and newer values are more important) \Rightarrow better use **Exponential Moving Average filter**

$$\hat{\mu}^{(t+1)} = (1 - \alpha) \hat{\mu}^{(t)} + \alpha x^{(t+1)}$$

$$(\hat{\sigma}^2)^{(t+1)} = (1 - \alpha) (\hat{\sigma}^2)^{(t)} + \alpha (x^{(t+1)} - \hat{\mu}^{(t+1)})^2$$
 with a fixed learning rate α .

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Problem: Complex Distributions

RG scatter plots of the same pixel taken 2 min apart

Bi-modal distribution caused by specularities on the water surface

\Rightarrow A single Gaussian is clearly insufficient here...

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Problem: Adaptation Speed, Sensitivity

- If the background model adapts too slowly...
 - Will construct a very wide and inaccurate model with low detection sensitivity
- If the model adapts too quickly...
 - Leads to inaccurate estimation of the model parameters
 - The model may adapt to the targets themselves (especially slow-moving ones)
- Design trade-off
 - Model should adapt quickly to changes in the background process *and* detect objects with high sensitivity.
 - How can we achieve that?

29

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MoG Background Model

- Improved statistical model
 - Large jumps between different pixel values because different objects are projected onto the same pixel at different times.
 - While the same object is projected onto the pixel, small local intensity variations due to Gaussian noise.
- Idea
 - Model the color distribution of each pixel by a mixture of K Gaussians

$$p(\mathbf{x}) = \sum_{k=1}^K \pi_k \mathcal{N}(\mathbf{x}_n | \mu_k, \Sigma_k)$$
 - Evaluate likelihoods of observed pixel values under this model.
 - Or let entire Gaussian components adapt to foreground objects and classify components as belonging to object or background.

30

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Recap: Mixture of Gaussians

- "Generative model"

$$p(\mathbf{x}) = \sum_{k=1}^K \pi_k \mathcal{N}(\mathbf{x}_n | \mu_k, \Sigma_k)$$

31

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Recap: EM Algorithm

- Expectation-Maximization (EM) Algorithm
 - E-Step: softly assign samples to mixture components

$$\gamma_j(x_n) \leftarrow \frac{\pi_j \mathcal{N}(x_n | \mu_j, \Sigma_j)}{\sum_{k=1}^K \pi_k \mathcal{N}(x_n | \mu_k, \Sigma_k)} \quad \forall j = 1, \dots, K, \quad n = 1, \dots, N$$
 - M-Step: re-estimate the parameters (separately for each mixture component) based on the soft assignments

$$\hat{N}_j \leftarrow \sum_{n=1}^N \gamma_j(x_n) = \text{soft number of samples labeled } j$$

$$\hat{\pi}_j^{\text{new}} \leftarrow \frac{\hat{N}_j}{N}$$

$$\hat{\mu}_j^{\text{new}} \leftarrow \frac{1}{\hat{N}_j} \sum_{n=1}^N \gamma_j(x_n) x_n$$

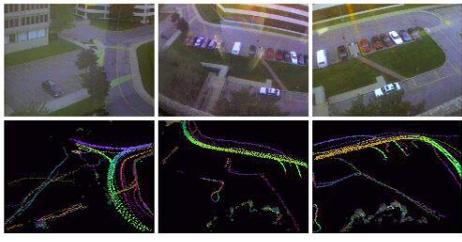
$$\hat{\Sigma}_j^{\text{new}} \leftarrow \frac{1}{\hat{N}_j} \sum_{n=1}^N \gamma_j(x_n) (x_n - \hat{\mu}_j^{\text{new}})(x_n - \hat{\mu}_j^{\text{new}})^T$$

32

Slide adapted from Bernt Schiele B. Leibe

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Stauffer-Grimson Background Model



- Very popular model
 - Used in many tracking approaches
 - Suitable for long-term observations (finding patterns of activity)

C. Stauffer, W.E.L. Grimson, [Adaptive Background Mixture Models for Real-Time Tracking](#), CVPR 1998.

33

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Stauffer-Grimson Background Model

- Idea
 - Model the distribution of each pixel by a mixture of K Gaussians

$$p(x) = \sum_{k=1}^K \pi_k \mathcal{N}(x_n | \mu_k, \Sigma_k) \quad \text{where} \quad \Sigma_k = \sigma_k^2 \mathbf{I}$$
 - Check every new pixel value against the existing K components until a match is found (pixel value within $2.5 \sigma_k$ of μ_k).
 - If a match is found, adapt the corresponding component.
 - Else, replace the least probable component by a distribution with the new value as its mean and an initially high variance and low prior weight.
 - Order the components by the value of w_k / σ_k and select the best B components as the background model, where

$$B = \arg \min_b \left(\sum_{k=1}^b \frac{w_k}{\sigma_k} > T \right)$$

34

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Stauffer-Grimson Background Model

- Online adaptation
 - Instead of estimating the MoG using EM, use a simpler online adaptation, assigning each new value only to the matching component.
 - Let $M_{k,t} = 1$ iff component k is the model that matched, else 0.

$$\pi_k^{(t+1)} = (1 - \alpha) \pi_k^{(t)} + \alpha M_{k,t}$$
 - Adapt only the parameters for the matching component

$$\mu_k^{(t+1)} = (1 - \rho) \mu_k^{(t)} + \rho x^{(t+1)}$$

$$\Sigma_k^{(t+1)} = (1 - \rho) \Sigma_k^{(t)} + \rho (x^{(t+1)} - \mu_k^{(t+1)})(x^{(t+1)} - \mu_k^{(t+1)})^T$$
 where

$$\rho = \alpha \mathcal{N}(x_n | \mu_k, \Sigma_k)$$
 (i.e., the update is weighted by the component likelihood)

35

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Discussion: Stauffer-Grimson Model

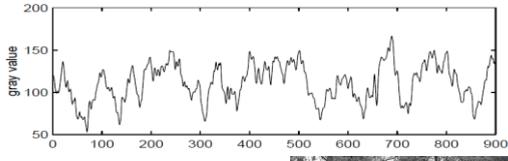
- Properties
 - Static foreground objects can be integrated into the mixture
 - Advantage: This doesn't destroy the existing background model.
 - If an object is stationary for some time and then moves again, the distribution for the background still exists
 - ⇒ Quick recovery from such situations.
 - Ordering of components by w_k / σ_k
 - Favors components that have more evidence (higher w_k) and a smaller variance (lower σ_k).
 - ⇒ Those are typically the best candidates for background.
 - Model can adapt to the complexity of the observed distribution.
 - If the distribution is unimodal, only a single component will be selected for the background.
 - ⇒ This can be used to save memory and computation.

36

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Problem: Outdoor Scenes



- Dynamic areas
 - Waving trees, rippling water, ...
 - Fast variations

⇒ More flexible representation needed here.

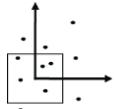


37

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Recap: Kernel Density Estimation

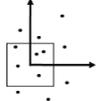
- Estimating the probability density from discrete samples
 - Approximation: $p(\mathbf{x}) \approx \frac{K}{NV}$
 - fixed V determine K → **Kernel Methods**
 - fixed K determine V → **K-Nearest Neighbor**
- Kernel methods
 - Example: Determine the number K of data points inside a fixed hypercube...
 

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Recap: Kernel Density Estimation

- Parzen Window
 - Hypercube of dimension D with edge length h :

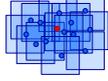
$$k(\mathbf{u}) = \begin{cases} 1, & |u_i - \frac{1}{2}, i = 1, \dots, D \\ 0, & \text{else} \end{cases}$$
 "Kernel function"
 
 - Probability density estimate:

$$K = \sum_{n=1}^N k\left(\frac{\mathbf{x} - \mathbf{x}_n}{h}\right) \quad V = \int k(\mathbf{u}) d\mathbf{u} = h^D$$

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Recap: Parzen Window

- Interpretations
 - We place a kernel window k at location \mathbf{x} and count how many data points fall inside it.
 
 - We place a kernel window k around each data point \mathbf{x}_n and sum up their influences at location \mathbf{x} .
 
- Still, we have artificial discontinuities at the cube boundaries...
 - We can obtain a smoother density model if we choose a smoother kernel function, e.g. a Gaussian

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Kernel Background Modeling



- Nonparametric model of background appearance
 - Very flexible approach, can deal with large amounts of background motion and scene clutter

A. Elgammal, D. Harwood, L.S. Davis, [Non-parametric Model for Background Subtraction](#), ECCV 2000.

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Kernel Background Modeling

- Nonparametric density estimation
 - Estimate a pixel's background distribution using the kernel density estimator $K(\cdot)$ as

$$p(\mathbf{x}^{(t)}) = \frac{1}{N} \sum_{i=1}^N K(\mathbf{x}^{(t)} - \mathbf{x}^{(i)})$$
 - Choose K to be a Gaussian $\mathcal{N}(0, \Sigma)$ with $\Sigma = \text{diag}\{\sigma_j\}$. Then

$$p(\mathbf{x}^{(t)}) = \frac{1}{N} \sum_{i=1}^N \prod_{j=1}^d \frac{1}{\sqrt{2\pi\sigma_j^2}} e^{-\frac{1}{2} \frac{(\mathbf{x}_j^{(t)} - \mathbf{x}_j^{(i)})^2}{\sigma_j^2}}$$
 - A pixel is considered foreground if $p(\mathbf{x}^{(t)}) < \theta$ for a threshold θ .
 - This can be computed very fast using lookup tables for the kernel function values, since all inputs are discrete values.
 - Additional speedup: partial evaluation of the sum usually sufficient

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Results Kernel Background Modeling

- Performance in heavy rain
 

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Results Kernel Background Modeling

- Results for color images



- Practical issues with color images
 - Which color space to use?

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Practical Issues: Background Model Update

- Kernel background model
 - Sample N intensity values taken over a window of W frames.
- FIFO update mechanism
 - Discard oldest sample.
 - Choose new sample randomly from each interval of length W/N frames.
- When should we update the distribution?
 - **Selective update:** add new sample only if it is classified as a background sample
 - **Blind update:** always add the new sample to the model.

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Updating Strategies

- **Selective update**
 - Add new sample only if it is classified as a background sample.
 - Enhances detection of new objects, since the background model remains uncontaminated.
 - But: Any incorrect detection decision will result in persistent incorrect detections later.
 - ⇒ Deadlock situation.
- **Blind update**
 - Always add the new sample to the model.
 - Does not suffer from deadlock situations, since it does not involve any update decisions.
 - But: Allows intensity values that do not belong to the background to be added to the model.
 - ⇒ Leads to bad detection of the targets (more false negatives).

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Solution: Combining the Two Models

- Short-term model
 - Recent model, adapts to changes quickly to allow very sensitive detection
 - Consists of the most recent N background sample values.
 - Updated using a selective update mechanism based on the detection mask from the final combination result.
- Long-term model
 - Captures a more stable representation of the scene background and adapts to changes slowly.
 - Consists of N samples taken from a much larger time window.
 - Updated using a blind update mechanism.
- Combination
 - Intersection of the two model outputs.

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Extension: False Detection Suppression

- Problem
 - Small camera motion (e.g., due to wind swaying) may still result in false detections.
- Workaround
 - Consider a small circular neighborhood (e.g., 5×5) $Ne(x)$ and evaluate the pixel under each neighbor's background model B_y :

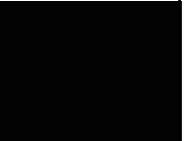
$$p_{Ne}(x^{(t)}) = \max_{y \in Ne(x)} p(x^{(t)} | B_y)$$
 - Threshold p_{Ne} to determine the foreground pixels.
 - ⇒ Eliminates many false detections, but also some true ones.
 - To avoid losing true detections, add the constraint that an entire connected component must have moved from a nearby location, not only some of its pixels.

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Effect of False Detection Suppression





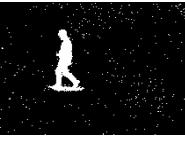
Original video
Without false detection suppr.
With false detection suppr.

- Results
 - Effects of camera wind shaking are almost entirely suppressed

51
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Extension: Shadow Suppression

- Shadows are often detected together with the objects
 - Leads to poor localization, should be avoided.
 - Idea: Shadowed regions should have the same color as the neighboring background, only the intensity is lower.
 - ⇒ Use chromaticity coordinates to remove shadows.

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Color Normalization

- One component of the 3D color space is intensity
 - If a color vector is multiplied by a scalar, the intensity changes, but not the color itself.
 - This means colors can be normalized by the intensity.
 - Intensity is given by $I = R + G + B$;
 - „Chromatic representation“

$$r = \frac{R}{R + G + B} \quad g = \frac{G}{R + G + B}$$

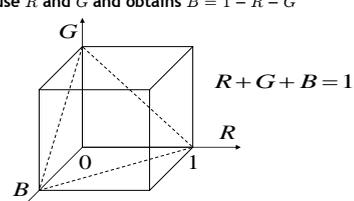
$$b = \frac{B}{R + G + B}$$

53
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Chromaticity Coordinates

- Observation:
 - Since $R + G + B = 1$, only 2 parameters are necessary
 - E.g., one can use R and G and obtains $B = 1 - R - G$



- Caveat: cannot distinguish between white and gray anymore!
 - ⇒ Use the normalized (r, g) coordinates, but keep the lightness $s = R + G + B$ as third coordinate ⇒ (r, g, s)

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Shadow Removal Procedure

- Idea
 - Let $\langle r, g, s \rangle$ be the expected background pixel color and $\langle r_t, g_t, s_t \rangle$ be the observed one.
 - Shadows or highlights affect the expected pixel lightness within certain bounds $\alpha \leq s_t / s \leq \beta$.
- Procedure
 - Select the subset B of relevant sample points for each pixel from the stored set A , i.e. those samples that could produce the observed lightness if affected by shadows:

$$B = \left\{ x_i \mid x_i \in A \wedge \alpha \leq \frac{s_t}{s_i} \leq \beta \right\}$$
 - Apply the regular kernel background model based on this subset B using only the (r, g) color components.

55
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Effect of Shadow Suppression








Original video
Without shadow suppr.
With shadow suppr.

56
B. Leibe Video source: Ahmed Elgammal

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Topics of This Lecture

- Motivation: Background Modeling
- Simple Background Models
 - Background Subtraction
 - Frame Differencing
- Statistical Background Models
 - Single Gaussian
 - Mixture of Gaussians
 - Kernel Density Estimation
- Practical Issues and Extensions
 - Background model update
 - False detection suppression
 - Shadow suppression
 - Applications

57

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Applications: Visual Surveillance



- Background modeling to detect objects for tracking
 - Extension: Learning a foreground model for each object.

58

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Applications: Articulated Tracking



- Background modeling as preprocessing step
 - Track a person's location through the scene
 - Extract silhouette information from the foreground mask.
 - Perform body pose estimation based on this mask.

59

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Summary

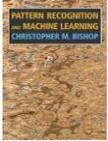
- Background Modeling
 - Fast and simple procedure to detect moving object in static camera footage.
 - Makes subsequent tracking *much* easier!
 - ⇒ *If applicable, always make use of this information source!*
- We've looked at two models in detail
 - Adaptive MoG model (Stauffer-Grimson model)
 - Kernel background model (Elgammal et al.)
 - Both perform well in practice, have been used extensively.
- Many extensions available
 - Learning object-specific foreground color models
 - Background modeling for moving cameras
 - ...

60

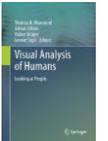
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References and Further Reading

- More information on density estimation in Bishop's book
 - Gaussian distribution and ML: Ch. 1.2.4 and 2.3.1-2.3.4.
 - Mixture of Gaussians: Ch. 2.3.9 and 9
 - Nonparametric methods: Ch. 2.5.
- More information on background modeling:
 - Visual Analysis of Humans: Ch. 3
 - C. Stauffer et al., [Adaptive Background Models for Real-Time Tracking](#), CVPR'98
 - A. Elgammal et al., [Non-parametric Model for Background Subtraction](#), ECCV'00



Christopher M. Bishop
Pattern Recognition and Machine Learning
Springer, 2006



T. Moeslund, A. Hilton, V. Krueger, L. Sigal
Visual Analysis of Humans: Looking at People
Springer, 2011

61